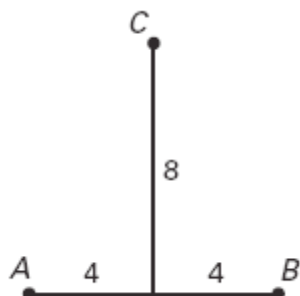


# Geometry Date\_\_\_\_\_ 5.1 Assignment Perpendiculars & Bisectors (pp 264–267)

1. What is your name?

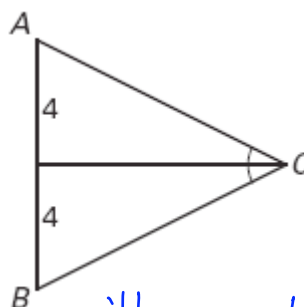
Tell whether the information in the diagram allows you to conclude that C is on the perpendicular bisector of  $\overline{AB}$ . Explain your reasoning.

2.



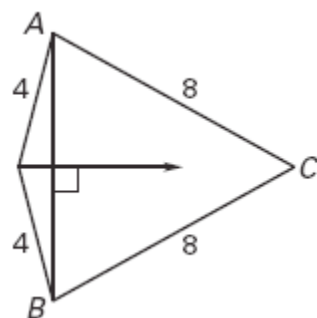
No It's on a bisector,  
not the  $\perp$  bisector.

3.



No it's on a bisector, not  $\perp$   
bisector

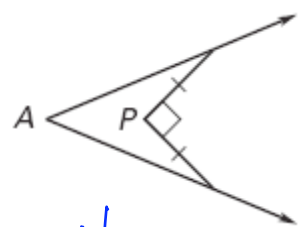
4.



Yes.

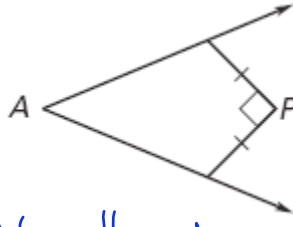
Tell whether the information in the diagram allows you to conclude that P is on the on the bisector of  $\angle A$ . Explain your reasoning.

5.



No, It's not  $\perp$

6.

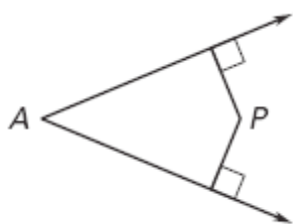


No, it's not  $\perp$  to the rays.

Geometry Date \_\_\_\_\_ 5.1 Assignment  
Perpendiculars & Bisectors (pp 264–267)

to the rays.

7.



No it's not equidistant

Write a two-column or a paragraph proof.

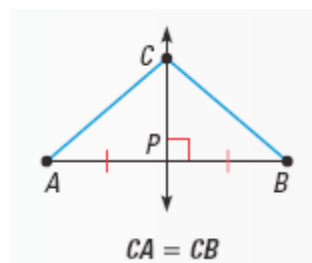
8. Write a proof for the perpendicular bisector theorem.

**Given:**  $\overleftrightarrow{CP}$  is the perpendicular bisector of  $\overline{AB}$ .

**Prove:** C is equidistant from A & B.

Plan for proof: Suppose that you are given that  $\overleftrightarrow{CP}$  is the perpendicular bisector of  $\overline{AB}$ . Show that right triangles

$\triangle APC$  &  $\triangle BPC$  using SAS Congruence postulate. Then show  $\overline{CA} \cong \overline{CB}$ .



Statement	Reason
1. $\overleftrightarrow{CP}$ is the $\perp$ bisector of $\overline{AB}$	1. Given.
2. $\overline{AP} \cong \overline{PB}$	2. Defn of bisector.
3. $\angle APC$ & $\angle BPC$ are rt $\angle$ 's	3. $\perp \leftrightarrow$ form 4 rt $\angle$ 's.
4. $\angle APC \cong \angle BPC$	4. Rt $\angle$ thm
5. $\overline{CP} \cong \overline{CP}$	5. Reflexive
6. $\triangle APC \cong \triangle BPC$	6. SAS
7. $\overline{CA} \cong \overline{CB}$	7. CPCTC
8. C is equidistant from A & B	8. Defn of equidistant.

# Geometry Date \_\_\_\_\_ 5.1 Assignment Perpendiculars & Bisectors (pp 264–267)

9. Use the diagram to write a two-column proof of the converse of the perpendicular bisector theorem.

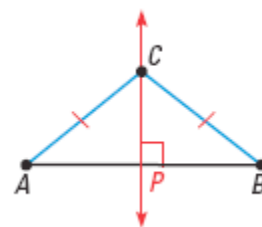
**Given:** C is equidistant from A & B.

**Prove:** C is on the perpendicular bisector of A & B.

Plan for proof: Use the perpendicular postulate to draw

$\overline{CP} \perp \overline{AB}$ . Show that  $\triangle APC \cong \triangle BPC$  by HL congruence theorem.

Then  $\overline{AP} \cong \overline{BP}$ , so that  $AP = BP$ .



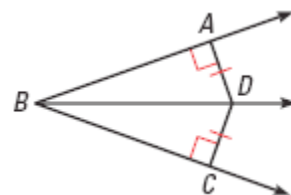
Statement	Reason
1. C is equidistant from A & B	1. Given.
2. Construct $\overline{CP} \perp \overline{AB}$	2. Construction.
3. $\overline{CA} \cong \overline{CB}$	3. Defn of equidistant.
4. $\overline{CP} \cong \overline{CP}$	4. Reflexive
5. $\angle CPB$ & $\angle CPA$ are rt $\angle$ 's	5. $\perp$ $\Rightarrow$ form 4 rt $\angle$ 's
6. $\triangle APC$ & $\triangle BPC$ are rt $\triangle$ 's	6. Defn of rt $\triangle$
7. $\triangle APC \cong \triangle BPC$	7. H/L.
8. $\overline{AP} \cong \overline{BP}$ $AP = BP$	C.P.C.T.C. Defn. of segment

# Geometry Date\_\_\_\_\_ 5.1 Assignment Perpendiculars & Bisectors (pp 264–267)

10. Complete the proof of the Converse of the Angle bisector theorem.

**Given:** D is in the interior of  $\angle ABC$  and is equidistant from  $\overrightarrow{BA}$  &  $\overrightarrow{BC}$ .

**Prove:** D lies on the angle bisector of  $\angle ABC$ .

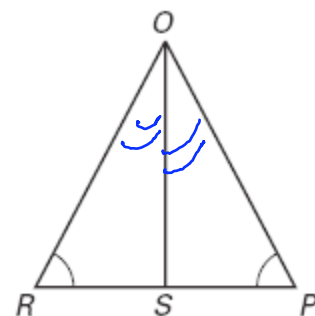


Statements	Reasons
D is in the interior of $\angle ABC$ .	
D is _____ from $\overrightarrow{BA}$ & $\overrightarrow{BC}$ .	Given
_____ = _____	Definition of equidistant.
$\overrightarrow{DA} \perp$ _____, _____ $\perp \overrightarrow{BC}$	Definition of distance of a point to a line.
	If two lines are $\perp$ , then they form 4 right angles.
	Definition of right triangles.
$\overline{BD} \cong \overline{BD}$	
	HL congruence postulate
$\angle ABD \cong \angle CBD$	
$\overrightarrow{BD}$ bisects $\angle ABC$ and point D is on the bisector of $\angle ABC$ .	

11. **Given:** S is on the bisector of  $\angle POR$ .

$$\angle OPS \cong \angle ORS$$

**Prove:**  $\overline{OS}$  is a perpendicular bisector of  $\overline{PR}$ .



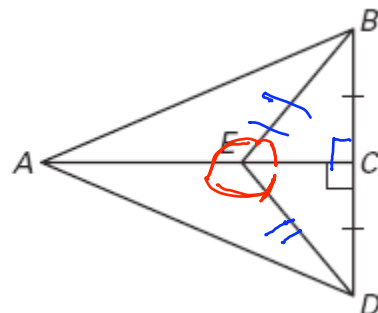
We are given that S is on the bisector of  $\angle POR$ .  
By the defn of a bisector,  $\angle ROS \cong \angle POS$ . We are  
also given that  $\angle P \cong \angle R$ . By the reflexive property  
 $\overline{OS} \cong \overline{OS}$ . Next  $\triangle ROS \cong \triangle POS$  by AAS. Next  $\overline{OR} \cong \overline{OP}$  by

# Geometry Date \_\_\_\_\_ 5.1 Assignment Perpendiculars & Bisectors (pp 264-267)

C.P.C.T.C By the converse of  $\perp$  bisector thm, O lies on the  $\perp$  bisector of  $\overline{RP}$ . This means  $\overline{OS}$  is the  $\perp$  bisector of  $\overline{RP}$ .

12. Given:  $\overline{AC}$  is a perpendicular bisector of  $\overline{BD}$ .  
Prove:  $\triangle ABE \cong \triangle ADE$

Statements	Reasons
1. $\overline{AC}$ is the $\perp$ bisector of $\overline{BD}$	1. Given.
2. $\angle ECD$ & $\angle ECA$ are rt $\angle$ 's	2. $\perp$ $\Rightarrow$ s form 4 rt $\angle$ 's
3. $\angle ECD \cong \angle ECA$	3. Rt $\angle$ 's are $\cong$
4. $\overline{BC} \cong \overline{CD}$	4. Defn. of bisector
5. $\overline{EC} \cong \overline{EC}$	5. Reflexive
6. $\triangle ABE \cong \triangle ADE$	6. SAS



## Review.

Find the missing measurement for the circle shown. (Chapter 1

Section 7)

13. radius

Area

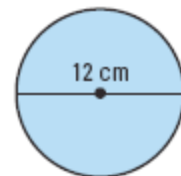
6 cm

14. circumference

$\approx 38$  cm

15.

$\approx 113$  cm<sup>2</sup>



Find the slope of the line that passes through the given points. (Chapter 3

Section 6)

16. (4, -3) & (-6, 5)

$-4/5$

17. (3, 11) & (-10, 12)

$-1/13$

**Geometry    Date\_\_\_\_\_    5.1 Assignment**  
**Perpendiculars & Bisectors (pp 264–267)**

**18.**  $(4, 5)$  &  $(9, 5)$



**19.**  $(-3, -8)$  &  $(8, -8)$



Geometry Date\_\_\_\_\_ 5.1 Assignment  
Perpendiculars & Bisectors (pp 264-267)

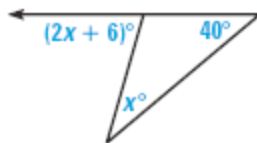
Find the value of  $x$ . (Chapter 4 Section 1)

20.



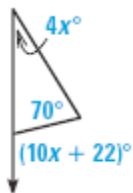
59

21.



34

22.



8